



Analysis of the ongoing extreme events on the territory of Siberia

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Introduction

The second part of **1970s** is characterized by **the beginning of modern global climate change.**

Heavy precipitation and strong storms, droughts and heat wave show **positive trends** in several regions of the world.

We need **to better understand their impact** on the environment and also **be able to predict them** and **minimize their consequences.**

Web-GIS system “Climate”

In our analysis, we use the web-GIS system “Climate”.

This system:

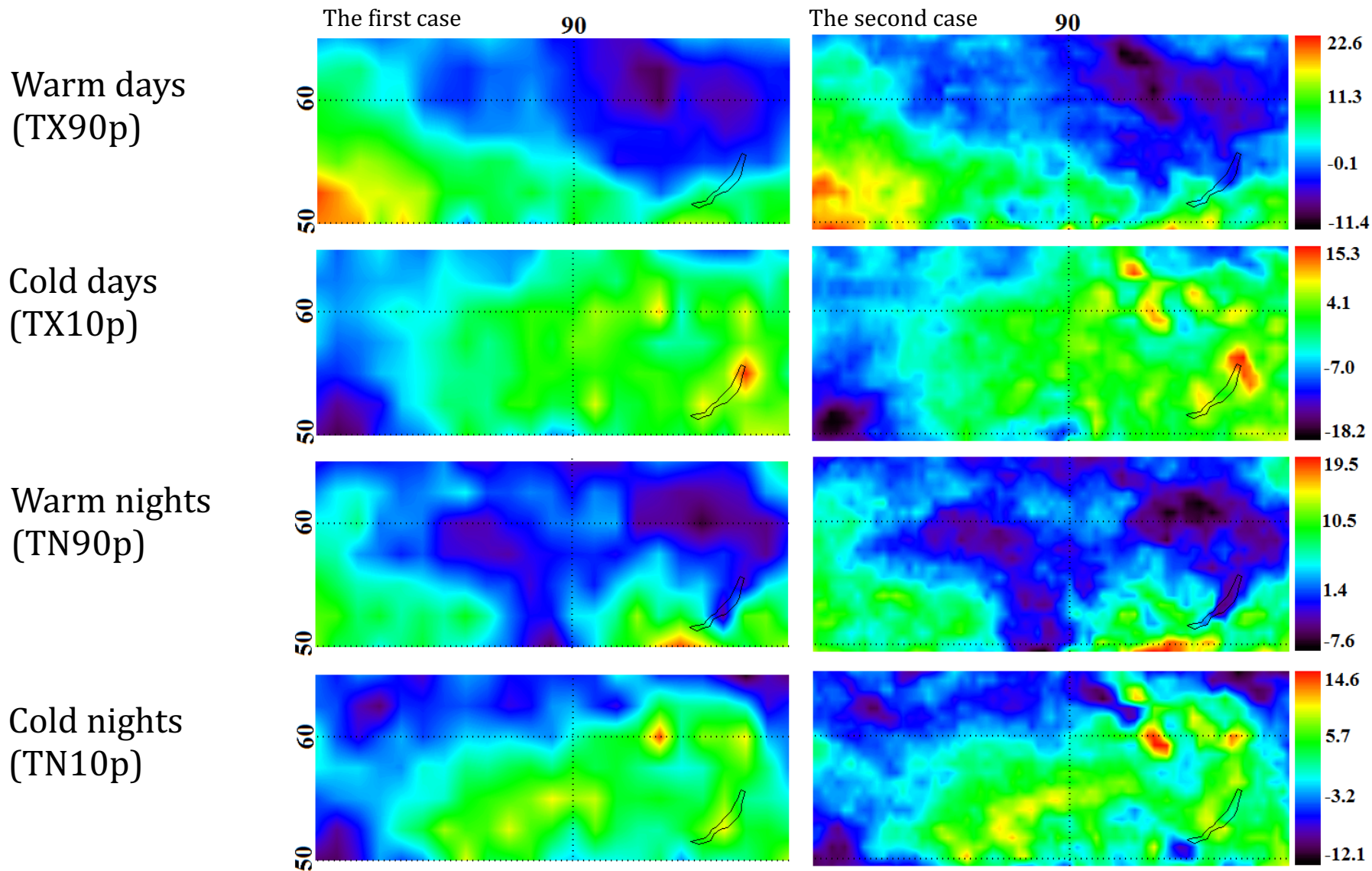
- is based on a combined use of web and GIS technologies;
- is a part of a hardware and software complex for “cloud” data analysis using:
- significantly facilitates and accelerates analysis of big volumes of geospatial data.

System “Climate” allows researchers to perform **complex climate data analysis** using desktop PCs with internet connection.

Analysis based on extreme indices:

- **Indices:** frequency of cold days/nights, frequency of warm days/nights.
- **Base period:** 1961-1990 yy.
- **Investigated period:** trend since 1979 to 2010 years.
- **The input data in the first case:**
 - Base period: interpolated Era40 Reanalysis to the grid 0.75×0.75 .
 - Investigated period: ERA Interim Reanalysis, $0.75 \times 0.75^\circ$.
- **The input data in the second case:**
 - Base period: Era40 Reanalysis, 2.5×2.5 .
 - Investigated period: interpolated ERA Interim Reanalysis to the grid $2.5 \times 2.5^\circ$.
- **Territory:** South Siberia (50° - 65° N, 60° - 120° E).

Trend of frequency:



Analysis based on extreme value theory

- $M_n = \max\{X_1, \dots, X_n\}$ – block maxima;
here, X_1, \dots, X_n – daily precipitation, n – quantity of days in month
- PDF of M_n : $n \rightarrow \infty$ (the Fisher-Tippett theorem)

$$G(z; \mu, \sigma, \xi) = \exp \left\{ - \left[1 + \xi \left(\frac{z - \mu}{\sigma} \right) \right]^{-\frac{1}{\xi}} \right\},$$

where $G(z; \mu, \sigma, \xi)$ is called **the generalised extreme value distribution (GEV)** and is defined on $\{z : 1 + \xi(z - \mu)/\sigma > 0\}$.

- **Non-stationary GEV:**

$$\mu_i = \mu_0 + a_\mu \sin(\omega c_i) + b_\mu \cos(\omega c_i), \quad i = 1, \dots, 12 \text{ (month)},$$

$$- \omega = (2\pi)/365.25;$$

- c_i denotes the **centre of the i -th month** counted in days starting from the beginning of the year.

For σ_i is analogous.

- **Return levels**

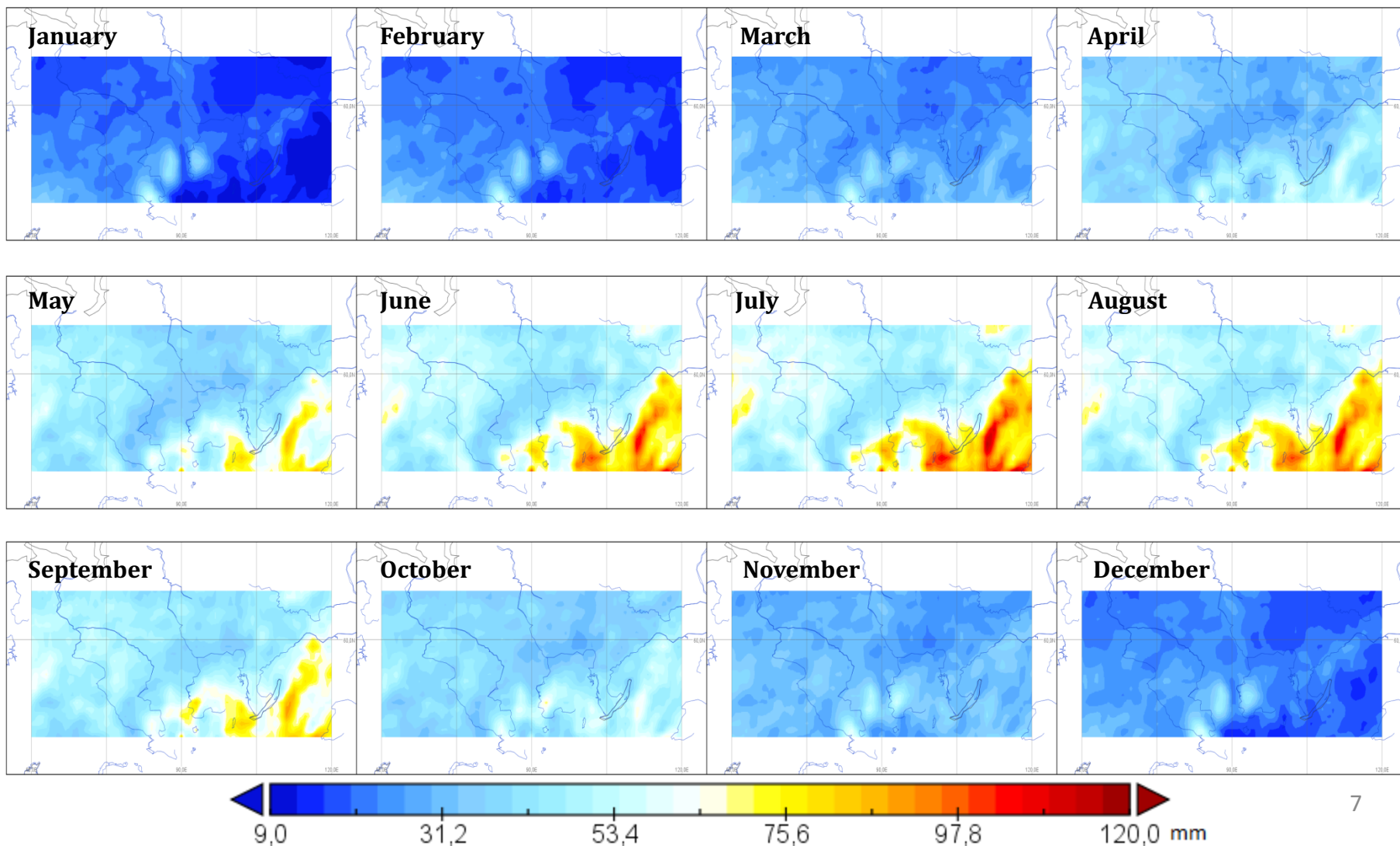
A physically more meaningful and also more relevant quantity for risk assessment is the probability of the observed variable (here, daily precipitation) exceeding a certain level. These levels can be calculated from the parameterised GEV and are frequently expressed as return levels r_T for a certain return period T .

r_T is defined as the level which is exceeded on average every T blocks, i.e., with probability $1/T$.

$$P(z < r_T) = G(r_T; \mu, \sigma, \xi) = 1 - \frac{1}{T}.$$

100-year return levels of precipitation conditioned on the month of their occurrence

Input data: Era Interim reanalysis, $0.75 \times 0.75^\circ$, 1979-2012 yy.



Thank you for attention!